

# Making Time with Vector Clocks 

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1. Have you played with a NoSQL or NewSQL store?
2. Have you played with a NoSQL or NewSQL store?
3. Have you deployed a NoSQL or NewSQL store?
4. Have you played with a NoSQL or NewSQL store?
5. Have you deployed a NoSQL or NewSQL store?
6. Have you studied and know their semantics?


## First, consisterncy across ThOSE operaions is not part of our semantics, so Imust donothing.

Second, in order for our semamices to apnly yourmist be a properly encensulator wansacion, wich yourer not

## Thiru, these samanios are more what yould callimidfiosthamadialriles.

## Traditional Database Semantics

## ACID

- Atomic: an operation (transaction) either succeeds or aborts completely - no partial successes
- Consistent: constraints like uniqueness, foreign keys, etc are honoured
- Durable: flushed to disk before the client can find out the result


## Traditional Database Semantics

## ACID

- Atomic: an operation (transaction) either succeeds or aborts completely - no partial successes
- Consistent: constraints like uniqueness, foreign keys, etc are honoured
- Isolation: the degree to which operations in one transaction can observe actions of concurrent transactions
- Durable: flushed to disk before the client can find out the result


## Traditional Database Semantics

Default isolation levels

- PostgreSQL:
- Oracle 11g:
- MS SQL Server:
- MySQL InnoDB:


## Traditional Database Semantics

## Default isolation levels

- PostgreSQL: Read Committed
- Oracle 11g: Read Committed
- MS SQL Server: Read Committed
- MySQL InnoDB:


## Traditional Database Semantics

## Default isolation levels

- PostgreSQL: Read Committed
- Oracle 11g: Read Committed
- MS SQL Server: Read Committed
- MySQL InnoDB: Repeatable Read


## Isolation Levels



## Snapshot Isolation

AS PER WIKIPEDIA
"Snapshot isolation is a guarantee that all reads made in a transaction will see a consistent snapshot of the database and the transaction itself will successfully commit only if no updates it has made conflict with any concurrent updates made since that snapshot."

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"Snapshot isolation is a guarantee that all reads made in a transaction will see a consistent snapshot of the database and the transaction itself will successfully commit only if no updates it has made conflict with any concurrent updates made since that snapshot."

Snapshot isolation is called "serializable" mode in Oracle.

# Snapshot Isolation 

$$
\begin{aligned}
& \mathrm{x}, \mathrm{y}:=0,0
\end{aligned}
$$

$$
\begin{aligned}
& \text { func t2() \{ } \\
& \text { if } \mathrm{y}==0\{ \\
& \mathrm{x}=1
\end{aligned}
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# Snapshot Isolation 

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- Serialized:
t1 then t2


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& \mathrm{x}, \mathrm{y}:=0,0 \\
& \begin{array}{lc}
\text { f } & \text { func t1 () \{ } \\
2 & \text { if } x==0 \text { \{ } \\
3 & y=1 \\
4 & \} \\
5 &
\end{array}
\end{aligned}
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- Serialized:

$$
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$$

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- Serialized:
t 1 then $\mathrm{t} 2: \mathrm{x}: 0, \mathrm{y}: 1$ t2 then t1


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\begin{array}{ll}
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\text { t2 then } \mathrm{t}: & \mathrm{x}: 1, \mathrm{y}
\end{array}
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- Snapshot Isolation:
t1 || t2


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- Snapshot Isolation:

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\mathrm{t} 1|\mid \mathrm{t} 2: \quad \mathrm{x}: 1, \mathrm{y}: 1
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\mathrm{t} 2 \text { then } \mathrm{t}: & \mathrm{x}: 1, \mathrm{y}: 0
\end{array}
$$

- Snapshot Isolation: Write Skew

$$
\mathrm{t} 1 \| \mathrm{t} 2: \quad \mathrm{x}: 1, \mathrm{y}: 1
$$

## Desired Features

- General purpose transactions


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- Strong serializability


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- General purpose transactions
- Strong serializability
- Distribution
- Automatic sharding
- Horizontal scalability
- ...



## Isolation Levels



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## CAP

## Possibility of Partitions $\Longrightarrow \neg($ Consistency $\wedge$ Availability $)$

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Node A Node B

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# Achieving Consistency 

## Colours Indicate Connected Nodes










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## Colours Indicate Connected Nodes






Cluster Size $=2 \mathrm{~F}+1$


$13=2 F+1$
$6=F$
Majority $=\mathbf{F}+1$


$$
=7
$$





# Achieving Consistency 

## Colours Indicate Connected Nodes






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$$
=7 \bigcirc
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## LEARNINGS I

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- Strong serializability requires Consistency, so must sacrifice Availability
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- If cluster size is $2 F+1$ then we can withstand no more than $F$ failures


# Modifying Values 

## Colours Indicate Extent of Txn Write

$x=3 \quad x=3 \quad x=3$


Cluster Size $=\mathbf{2 F}+1$

$$
\text { ( } x=\begin{align*}
13 & =2 F+1 \\
6 & =F
\end{align*}
$$



$$
\begin{aligned}
\text { Majority } & =F+1 \\
& =7
\end{aligned}
$$


$x=3$

# Modifying Values 

## Colours Indicate Extent of Txn Write



Cluster Size $=\mathbf{2 F}+1$

* $\because=3$

$$
\begin{align*}
13 & =2 F+1 \\
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$$



# Modifying Values 

## Colours Indicate Extent of Txn Write



Cluster Size $=\mathbf{2 F}+1$
$x=3$

$$
\begin{align*}
13 & =2 F+1 \\
6 & =F \\
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$x=3$

# Modifying Values 

## Colours Indicate Extent of Txn Write



Cluster Size $=\mathbf{2 F}+1$

$$
\begin{align*}
13 & =\mathbf{2 F}+1 \\
\mathbf{x}=3 & =F \\
\text { Majority } & =\mathbf{F}+\mathbf{1} \\
& =7
\end{align*}
$$




# Modifying Values 

## Colours Indicate Extent of Txn Write

$x=3 \quad x=3 \quad x=3$
$\mathrm{x}=4$
$x=3$
Cluster Size $=\mathbf{2 F}+1$


$$
\begin{align*}
\text { Majority } & =F+1 \\
& =7
\end{align*}
$$




# Modifying Values 

## Colours Indicate Extent of Txn Write

$x=3 \quad x=3 \quad x=3$

$$
x=4
$$

$x=3$
Cluster Size $=\mathbf{2 F}+1$


$$
\begin{align*}
13 & =2 F+1 \\
6 & =F \\
\text { Majority } & =F+1 \\
& =7
\end{align*}
$$



## Learnings 2

- Strong serializability requires Consistency, so must sacrifice Availability
- To achieve Consistency, only accept operations if connected to majority
- If cluster size is $2 F+1$ then we can withstand no more than $F$ failures
- Writes must go to $F+1$ nodes


# Reading Values 

## Colours Indicate Extent of Tun Write



Cluster Size $=\mathbf{2 F}+1$

$$
\text { (x=3 } \begin{align*}
13 & =2 F+1 \\
6 & =F
\end{align*}
$$



$$
\begin{aligned}
\text { Majority } & =\mathbf{F}+\mathbf{1} \\
& =7
\end{aligned}
$$



# Reading Values 

## Colours Indicate Extent of Tun Write


$x=3$

$$
\begin{array}{|l|}
\hline x=4 \\
\hline x=7 \\
\hline
\end{array}
$$

Cluster Size $=2 \mathrm{~F}+1$

$$
\begin{align*}
13 & =2 F+1 \\
6 & =F \\
\text { Majority } & =F+1
\end{align*}
$$



# Reading Values 

## Colours Indicate Extent of Tun Write


$x=4$

# Reading Values 

## Colours Indicate Extent of Tun Write



Cluster Size $=2 \mathrm{~F}+1$


$$
\text { Majority }=\mathrm{F}+1
$$



$x=4$

# Reading Values 

## Colours Indicate Extent of Tun Write




Cluster Size $=2 \mathrm{~F}+1$


$$
\text { Majority }=\mathbf{F}+1
$$





# Reading Values 

## Colours Indicate Extent of Tun Write




Cluster Size $=\mathbf{2 F}+1$


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## Learnings 3

- Strong serializability requires Consistency, so must sacrifice Availability
- To achieve Consistency, only accept operations if connected to majority
- If cluster size is $2 F+1$ then we can withstand no more than $F$ failures
- Writes must go to $F+1$ nodes
- Reads must read from $F+1$ nodes and be able to order results



## Txn Processing in Distributed Databases

1. Client submits txn

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Most important thing is all nodes agree on the order of transactions

## Txn Processing in Distributed Databases

1. Client submits txn
2. Node(s) vote on txn
3. Node(s) reach consensus on txn outcome
4. Client is informed of outcome

Most important thing is all nodes agree on the order of transactions (focus for the rest of this talk!)

## Leader Based Ordering



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- Only leader votes on whether txn commits or aborts


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- Only leader votes on whether txn commits or aborts
- Therefore leader must know everything
- If leader fails, a new leader will be elected from remaining nodes
- Therefore all nodes must know everything
- Fine for small clusters, but scaling issues when clusters get big


## Client Clock Based Ordering

## Clients

Nodes


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- Nodes receive txns and must vote on txn outcome and then consensus must be reached (not shown)


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## Client Clock Based Ordering

- Nodes receive txns and must vote on txn outcome and then consensus must be reached (not shown)
- Clients are responsible for applying an increasing clock value to txns
- If a client's clock races then it can prevent other clients from getting txns submitted
- So must be very careful to try and keep clocks running at the same rate
- No possibility to reorder transactions at all to maximise commits
?m receive message $m$ (sender unspecified) !m send message $m$ (destination unspecified)
t3 transaction with id 3
$r[x 1] \quad$ reads $x$ at version 1
$w[y] \quad$ writes some value to $y$

Vx2y1 vector clock with $x=2, y=1$

$$
\begin{aligned}
V_{1}<V_{2} & \triangleq \forall x \in \operatorname{dom}\left(V_{1} \cup V_{2}\right): V_{1}[x] \leq V_{2}[x] \\
& \wedge \exists y \in \operatorname{dom}\left(V_{1} \cup V_{2}\right): V_{1}[y]<V_{2}[y]
\end{aligned}
$$

## Simple Transaction



| $?$ | receive |
| :--- | ---: |
| $!$ | send |
| $t 3$ | txn 3 |
| $V$ | Vector Clock |
| $x 0$ | $x$ at vsn 0 |
| $r[x 0]$ | read of $x$ |
| $w[x]$ | write of $x$ |

## Simple Transaction



## Simple Transaction



## Simple Transaction



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## Simple Transaction



## Simple Transaction



## Simple Transaction



## Two Writes



## Two Writes



## Two Writes



## Two Writes



## Two Writes


$\mathrm{y} 0 ; \mathrm{Vy} 1$
?t2 w[y]; !t2 Vy1; Vy2
?t1 w[y]; !t1 Vy2; Vy3
?t1 Vx1y2; y1; Vx1y3


## Two Writes


t1 w $w x] w[y]$
$t 2 w[x] w[y]$
$V x 2 y 1$

| $?$ | receive |
| :--- | ---: |
| $!$ | send |
| $t 3$ | txn 3 |
| $V$ | Vector Clock |
| $x 0$ | $x$ at vsn 0 |
| $r[x 0]$ | read of $x$ |
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## Three Writes

x0; Vx1
y0; Vy1

t1 w[x]w[y]<br>t2 w[x]<br>t3 w[x]w[y]

| $?$ | receive |
| :--- | ---: |
| $!$ | send |
| t 3 | txn 3 |
| V | Vector Clock |
| $\mathrm{x0}$ | x at vsn 0 |
| $\mathrm{r}[\mathrm{x0} 0$ | read of x |
| $\mathrm{w}[\mathrm{x}]$ | write of x |

## Three Writes


y0; Vy1

t1 w[x]w[y]<br>t2 w[x]<br>t3 w[x]w[y]

| $?$ | receive |
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## Three Writes



$$
\begin{array}{ll}
\mathrm{y0} ; \mathrm{Vy1} & \\
\text { ?t1 w[y]; !t1 Vy1; Vy2 } & \text { t1 } w[x] w[y] \\
\text { ?t3 w[y]; !t3 Vy2; Vy3 } & \text { t2 w[x] } \\
& \text { t3 w[x]w[y] }
\end{array}
$$

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| $!$ | send |
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| $x 0$ | $x$ at vsn 0 |
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## Three Writes


receive

| $?$ | receive |
| :--- | ---: |
| $!$ | send |
| t 3 | txn 3 |
| $V$ | Vector Clock |
| $\mathrm{x0}$ | x at vsn 0 |
| $\mathrm{r}[\mathrm{x} 0]$ | read of x |
| $\mathrm{w}[\mathrm{x}]$ | write of x |

## Three Writes

\begin{tabular}{|c|c|c|}
\hline \multicolumn{3}{|l|}{y0; Vy1} <br>
\hline ? t1 w[y]; !t1 Vy1; Vy2 \& t1 w[x]w[y] \& ] $\mathrm{V} \times 3 \mathrm{y} 1$ <br>
\hline ? t3 w[y]; !t3 Vy2; Vy3 \& t2 w[x] \& Vx2 <br>
\hline \& t3 w[x]w[y] \& ] Vx1y2 <br>
\hline \multicolumn{3}{|l|}{?t3 Vx1y2; y3; Vx1y3} <br>
\hline \multirow[t]{5}{*}{?t1 Vx3y1; y3; Vx3y3} \& \& receive
send <br>
\hline \& \& txn

Vector Clock <br>
\hline \& \& xat vsno <br>
\hline \& \& 0] read of x <br>
\hline \& \& x] write of x <br>
\hline
\end{tabular}

## Three Writes

x0; Vx1<br>?t3 w x$]$; !t3 $\mathrm{Vx} 1 ; \mathrm{Vx} 2$<br>?t2 $\mathrm{w}[\mathrm{x}]$; ! $\mathrm{t} 2 \mathrm{~V} \times 2 ; \mathrm{V} \times 3$<br>?t1 w[x]; !t1 Vx3; Vx4

$y 0 ; \mathrm{Vy} 1$
?t1 w[y]; !t1 Vy1; Vy2
?t3 w[y]; !t3 Vy2; Vy3
?t3 Vx1y2; y3; Vx1y3
? $\mathrm{t} 1 \mathrm{Vx} 3 \mathrm{y} 1 ; \mathrm{y} 3 ; \mathrm{V} \times 3 \mathrm{y} 3$

| $\mathrm{t} 1 \mathrm{w}[\mathrm{x}] \mathrm{w}[\mathrm{y}]$ | $\mathrm{Vx3y1}$ |
| :--- | :--- |
| $\mathrm{t} 2 \mathrm{w}[\mathrm{x}]$ | $\mathrm{Vx2}$ |
| $\mathrm{t} 3 \mathrm{w}[\mathrm{x}] \mathrm{w}[\mathrm{y}]$ | $\mathrm{Vx1y2}$ |

receive
txn 3
Vector Clock
$x$ at vsn 0
read of $x$
write of $x$

## Three Writes



| y0; Vy1 |  |
| :---: | :---: |
| ? t1 w[y]; !t1 Vy1; Vy2 | t1 w[x]w[y] Vx3y1 |
| ?t3 w[y]; !t3 Vy2; Vy3 | t2 $\mathrm{w}[\mathrm{x}] \quad \mathrm{Vx} 2$ |
|  | t3 w[x]w[y] Vx1y2 |
| ?t3 Vx1y2; y3; Vx1y3 |  |
| ? t Vx3y1; y3; Vx3y3 | ? receive <br> $\vdots$ send |
|  |  |
|  | xo xat vsno |
|  | r[x0] read of x |
| t1<t3 | $w[x]$ write of $x$ |

## Three Writes



| $\mathrm{t} 1 \mathrm{w}[\mathrm{x}] \mathrm{w}[\mathrm{y}]$ | $V \mathrm{~V} 3 \mathrm{y} 1$ |
| :--- | :--- |
| $\mathrm{t} 2 \mathrm{w}[\mathrm{x}]$ | $\mathrm{Vx2}$ |
| $\mathrm{t} 3 \mathrm{w}[\mathrm{x}] \mathrm{w}[\mathrm{y}]$ | Vx 1 y 2 |


| $?$ | receive |
| :--- | ---: |
| $!$ | send |
| t 3 | txn 3 |
| $V$ | Vector Clock |
| $x 0$ | $x$ at vsn 0 |
| $r[x 0]$ | read of $x$ |
| $w[x]$ | write of $x$ |

## The Dumb Approach Doesn't Work

- Changing state when receiving a txn seems to be a very bad idea


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- Changing state when receiving a txn seems to be a very bad idea
- Maybe only change state when receiving the outcome of a vote
- And don't vote on txns until we know it's safe to do so
- Divide time into frames. First half of frame is reads, second half writes.
- Divide time into frames. First half of frame is reads, second half writes.
- Within a frame, we don't care about order of reads,
- but all reads must come after writes of previous frame,
- all writes must come after reads of this frame,
- all writes must be totally ordered within the frame - must know which write comes last.


## Frames \& Dependencies


$y 9 ; V y 8 \quad z 7 ; V z 3$

## Frames \& Dependencies



## Frames \& Dependencies



## Frames \& Dependencies


t1 r[x8]r[y9] Vx6y8
t2 r[x8] Vx6
t3 r[x8]ww[z] Vx6z3

## Frames \& Dependencies


t1 r[x8]r[y9] Vx6y8
$\mathrm{t} 2 \mathrm{r}[\mathrm{x} 8] \quad \mathrm{Vx} 6$
t3 r[x8]w[z] Vx6z3

## Frames \& Dependencies


t1 r[x8]r[y9] Vx6y8
t2 r[x8] Vx6
t3 r[x8]w[z] Vx6z3
t4 w[y]r[y9]
t5 w[x]w[z]
t6 w[x]

## Frames \& Dependencies



## Frames \& Dependencies



| $\mathrm{t} 1 \mathrm{r}[\mathrm{x} 8 \mathrm{l} \mathrm{r}[\mathrm{y} 9]$ | Vx6y8 |
| :---: | :---: |
| t2 r[x8] | Vx6 |
| t3 r[x8]w[z] | Vx6z3 |
| t4 w[y]r[y9] | Vx6y8z4 |
| t5 w[x]w[z] | Vx6y8z? |
| t6 w[x] | Vx6y8z4 |

## Calculating the Write Clock from Reads

- Merge all read clocks together
- Add 1 to result for every object that was written by txns in our frame's reads


## Calculating the Frame Winner \& Next Frame’s Read Clock

- Partition write results by local clock elem, and within that by txn id
- Each clock inherits missing clock elems from above
- Then sort each partition first by clock (now all same length), then by $t x n$ id
- Next frame starts with winner's clock, +1 for all writes


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- Guarantees no concurrent vector clocks (proof in progress!)
- Many details elided! (deadlock freedom, etc)


## Transitive Vector Clocks



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## Transitive Vector Clocks



## Transitive Vector Clocks

| x0; Vx1 | y0; Vy1 | z0; Vz1 |  |
| :---: | :---: | :---: | :---: |
| ? $\mathrm{t} 1 \mathrm{w}[\mathrm{x}] ;$ ! 1 1 Vx1 |  |  | t1: w[x]w[z] Vx1y2z2 |
| ? t2 w[x]; !t2 Vx1 | ?t2 w[y]; !t2 Vy1 |  | t2: w[x]w[y] Vx1y1 |
| ?t2 Vx1y1 | ? t 3 w [y]; !t3 Vy1 | ? t3 w[z]; !t3 Vz1 | t3: w[y]w[z] Vy1z1 |
|  | ?t3 Vy1z1 | ?t3 Vy1z1 |  |
|  | ?t2 Vx1y1 | frame $z[3] ; \vee y 2 z 2$ |  |
| ?t1 Vx1y2z2 |  | ? t 1 w [z]; It 1 Vy 2 z 2 |  |
|  |  | ?t1 Vx1y2z2 |  |
|  | $2<3 ?$ | $3<1$ | $?$ receive <br> $\vdots$ send <br> t3 txn 3 <br> $V$  |
|  | t2 Vx1y1 |  | $\begin{array}{lr}\text { V } & \text { Vector Clock } \\ \mathrm{xO} & \mathrm{xat} \mathrm{vsn0}\end{array}$ |
|  | t3 V y1z1 |  | $r[x 0] \quad \text { read of } x$ |

## Transitive Vector Clocks

| x0; Vx1 | y0; Vy1 | z0; Vz1 |  |
| :---: | :---: | :---: | :---: |
| ? t1 w[x]; !t1 Vx1 |  |  | t1: w[x]w[z] Vx1y2z2 |
| ? t2 w[x]; !t2 Vx1 | ? t2 w[y]; !t2 Vy1 |  | t2: w[x]w[y] Vx1y1 |
| ?t2 Vx1y1 | ?t3 w[y]; !t3 Vy1 | ? t3 w[z]; !t3 Vz1 | t3: w[y]w[z] Vy1z1 |
|  | ?t3 Vy1z1 | ? t 3 Vy 1 z 1 |  |
|  | ?t2 Vx1y1 | frame $\mathrm{z}[3] ; \mathrm{Vy2z2}$ |  |
|  |  | ? t 1 w [z]; It1 Vy2z2 |  |
| ?t1 Vx1y2z2 |  | ?t1 Vx1y2z2 |  |
|  | $2<3$ | $3<1$ | $?$ receive <br> $\vdots$ send <br> t3 txn 3 <br> $V$  |
|  | t2 Vx1y1 |  | V Vector Clock <br> x0 xat vsn 0 |
|  | t3 Vx1y1z1 |  | r[x0] $\quad$ read of $x$ |
|  |  |  | $w[x] \quad$ write of $x$ |

## Transitive Vector Clocks

| $\mathrm{x} 0 ; \mathrm{Vx} 1$ | y0; Vy1 | z0; Vz1 |  |
| :---: | :---: | :---: | :---: |
| ?t1 w[x]; !t1 Vx1 |  |  | t1: $\mathrm{w}[\mathrm{x}] \mathrm{w}[\mathrm{z}] \mathrm{Vx} 1 \mathrm{y} 2 \mathrm{z} 2$ |
| ?t2 w[x]; !t2 Vx1 | ? $\mathrm{t} 2 \mathrm{w}[\mathrm{y}] ; \mathrm{t} 2 \mathrm{Vy} 1$ |  | t2: w[x]w[y] Vx1y1 |
| ? $\mathrm{t} 2 \mathrm{~V} \times 1 \mathrm{y} 1$ | ? $\mathrm{t} 3 \mathrm{w}[\mathrm{y}$ ]; ! t 3 Vy 1 | ? $\mathrm{t} 3 \mathrm{w}[\mathrm{z}]$; ! $\mathrm{t} 3 \mathrm{Vz1}$ | t3: $\mathrm{w}[\mathrm{y}] \mathrm{w}[\mathrm{z}]$ Vy1z1 |
|  | ?t3 Vy1z1 | ? $\mathrm{t} 3 \mathrm{Vy1z1}$ |  |
|  | ?t2 Vx1y1 | frame z[3];Vy2z2 |  |
|  |  | ?t1 w[z]; !t1 Vy2z2 |  |
| ?t1 Vx1y2z2 |  | ?t1 Vx1y2z2 |  |
| $2<1$ ? | $2<3$ | $3<1$ |  |
| t1 Vx1y2z2 | t2 Vx1y1 |  |  |
| t2 Vx1y1 | t3 Vxıy1z1 |  |  |

## Transitive Vector Clocks

| $\mathrm{x} 0 ; \mathrm{Vx} 1$ | $y 0 ; \mathrm{Vy} 1$ | z0; Vz1 |  |
| :---: | :---: | :---: | :---: |
| ? $\mathrm{t} 1 \mathrm{w}[\mathrm{x}]$ ! ! 1 1 Vx1 |  |  | t1: w[x]w[z] Vx1y2z2 |
| ? $\mathrm{t} 2 \mathrm{w}[\mathrm{x}]$; ! t 2 Vx 1 | ? $\mathrm{t} 2 \mathrm{w}[\mathrm{y}] ; \mathrm{t} 2 \mathrm{Vy} 1$ |  | t2: w[x]w[y] Vx1y1 |
| ? $\mathrm{t} 2 \mathrm{~V} \times 1 \mathrm{y} 1$ | ? t 3 w [y]; ! $\mathrm{t} 3 \mathrm{Vy1}$ | ? $\mathrm{t} 3 \mathrm{w}[\mathrm{z}]$; ! $\mathrm{t} 3 \mathrm{Vz1}$ | t3: w[y]w[z] Vy1z1 |
|  | ? $\mathrm{t} 3 \mathrm{~V} \mathrm{y} 1 \mathrm{z1}$ | ? t 3 Vy 1 z 1 |  |
|  | ? t 2 Vx 1 y 1 | frame z[3];Vy2z2 |  |
|  |  | ?t1 w[z]; It1 Vy2z2 |  |
| ?t1 Vx1y2z2 |  | ?t1 Vx1y2z2 |  |
| $2<1$ | $2<3$ | $3<1$ |  |
| t1 Vx1y2z2 | t2 Vx1y1 |  |  |
| t2 Vx1y1z2 | t3 Vx1y1z1 |  | $r[x 0]$ read of $x$ |

## Shrinking Vector Clocks

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## Shrinking Vector Clocks

- Hardest part of Paxos is garbage collection
- Need additional messages to determine when Paxos instances can be deleted
- We can use these to also express: You will never see any of these vector clock elems again
- Therefore we can remove matching elems from vector clocks!
- Many more details elided!


## Conclusions

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## Conclusions

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Can separate F from cluster size, Which gets us horizontal scalability

# Conclusions 



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Distributed databases are FUN! https://goshawkdb.io/

